



**Equation of a line**

Standard form	$Ax + By + C$	<ul style="list-style-type: none"> <li>• A, B, C are real numbers.</li> <li>• <math>A \geq 0</math> A and B are not both zero.</li> </ul>
Slope- intercept form	$y = mx + b$	$m = \text{slope}, b = y - \text{intercept}$
Point -Slope form	$y - y_1 = m(x - x_1)$	
Slope	$m = \frac{y_2 - y_1}{x_2 - x_1}$	$(x_1, y_1)$ and $(x_2, y_2)$ are 2 points

**Quadratics**

Standard form of a quadratic equation	$ax^2 + bx + c = 0$	$a, b$ and $c$ are constants where $a \neq 0$
Quadratic formula	$\frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$	

**Coordinate Geometry**

Midpoint	$M = \left( \frac{x_1 + x_2}{2}, \frac{y_1 + y_2}{2} \right)$	$(x_1, y_1)$ and $(x_2, y_2)$ are 2 points
Distance formula	$d = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$	

**Area, Volume, and Surface Area of Polygon and Solids**

Triangle	$A = \frac{1}{2}bh$	<p><math>A = \text{Area}</math>  <math>b = \text{base}</math>  <math>h = \text{height}</math>  <math>a = \text{apothom}</math>  <math>p = \text{Perimeter}</math>  <math>V = \text{Volume}</math>  <math>B = \text{Area of base}</math>  <math>SA = \text{Surface Area}</math>  <math>P = \text{Perimeter of base}</math>  <math>r = \text{radius}</math>  <math>l = \text{slant height}</math>  <math>\pi = 3.142</math></p>
Parallelogram	$A = bh$	
Trapezoid	$A = \frac{1}{2}(b_1 + b_2)h$	
Regular Polygon	$A = \frac{1}{2}ap$	
Prism	$V = Bh$	
Regular Prism	$SA = 2B + Ph$	
Circular Cylinder	$V = \pi r^2 h$	
Right Circular Cylinder	$SA = 2\pi r^2 + 2\pi rh$	
Pyramid	$V = \frac{1}{3}Bh$	
Right Pyramid	$SA = B + \frac{1}{2}Pl$	
Circular cone	$V = \frac{1}{3}\pi r^2 h$	
Right Circular Cone	$SA = \pi r^2 + \pi rl$	
Sphere	$V = \frac{4}{3}\pi r^3$ $SA = 4\pi r^2$	

<b>Angles of Polygon</b>		
Sum of Degree Measures of the interior Angles of a Polygon	$180(n - 2)$	$n = \text{number of sides}$
Degree Measures of an interior Angle of a Regular Polygon	$\frac{180(n - 2)}{n}$	
<b>Circles</b>		
Equation of a circle	$(x - h)^2 + (y - k)^2 = r^2$	<i>center (h, k)</i>
Area formula	$A = \pi r^2$	<i>r = radius</i>
Circumference Formula	$C = 2\pi r = \pi d$	<i>A = Area</i>
Area of a sector with central angle $\theta$	$A = \frac{\theta}{360} \pi r^2$	<i>C = circumference</i>
		<i>d = diameter</i>
		$\pi = 3.142$
<b>Parabolas</b>		
<b>Opening vertically</b>	$y = a(x - h)^2 + k$	$a = \text{constant}$
Axis of symmetry	$x = h$	$(h, k) = \text{vertex}$
focus	$(h, k + \frac{1}{4a})$	
directrix	$x = k - \frac{1}{4a}$	
<b>Opening horizontally</b>	$x = a(y - k)^2 + h$	
Axis of symmetry	$y = k$	
focus	$(h + \frac{1}{4a}, k)$	
directrix	$y = h - \frac{1}{4a}$	
<b>Ellipses</b>		
Major Axis Horizontal	$\frac{(x - h)^2}{a^2} + \frac{(y - k)^2}{b^2} = 1$	$a, b = \text{positive constants}$ <i>where <math>a &gt; b</math></i> $c = \sqrt{a^2 - b^2}$ <i>A = Area</i> $\pi = 3.142$
Foci	$(h \pm c, k)$	
Major Axis Vertical	$\frac{(y - k)^2}{a^2} + \frac{(x - h)^2}{b^2} = 1$	
Foci	$(h, k \pm c)$	
Area	$A = \pi ab$	

<b>Hyperbolas</b>		
Transverse Axis Horizontal	$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$	$a, b = \text{positive constants}$ where $a > b$ $c = \sqrt{a^2 + b^2}$
Foci	$(h \pm c, k)$	
Transverse Axis Vertical	$\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$	
Foci	$(h, k \pm c)$	
<b>Right Triangles</b>		
Pythagorean Theorem	$a^2 + b^2 = c^2$	
Right Triangle Trigonometry	$\sin A = \frac{a}{c}$ $\cos A = \frac{b}{c}$ $\tan A = \frac{a}{b}$	
Law of Sines	$\frac{a}{\sin A} = \frac{b}{\sin B} = \frac{c}{\sin C}$	
Law of Cosine	$c^2 = a^2 + b^2 - 2ab \cos C$	
Area of a Triangle	$\text{Area} = \frac{1}{2}bc \sin A$ $= \sqrt{s(s-a)(s-b)(s-c)}$	
<b>Sequences</b>		
Arithmetic Sequence	$a_n = a_1 + (n-1)d$	$a_n = n^{\text{th}} \text{ term}$ $n = \text{number of terms}$ $d = \text{common difference}$ $r = \text{common ratio}$ $S_n = \text{sum of the first } n \text{ terms}$ $S = \text{sum of all terms}$
Arithmetic Series	$S_n = \frac{n}{2}[2a_1 + (n-1)d]$ $S_n = \frac{n}{2}[a_1 + a_n]$	
Geometric Sequence	$a_n = a_1 \times r^{(n-1)}$	
Finite Geometric Series	$S_n = \frac{a_1 - a_1 r^n}{1 - r}$ where $r \neq 1$	
Infinite Geometric Series	$S = \frac{a_1}{1 - r}$ where $ r  < 1$	
<b>Interest</b>		
Simple interest	$I = Prt$	$r = \text{rate}$ $t = \text{time}$ $I = \text{interest}$ $P = \text{Principle}$ $A = \text{Amount of money after } t \text{ years}$ $n = \text{number of times interest is compounded annually}$ $e = 2.718$
Compound Interest	$A = P \left(1 + \frac{r}{n}\right)^{nt}$	

<b>Counting</b>		
Combinations	${}^k C_m = C(k, m) = \frac{k!}{(k-m)!m!}$	$k = \text{number of objects in a set}$ $m = \text{number of objects selected}$
Permutations	${}^k P_m = P(k, m) = \frac{k!}{(k-m)!}$	
<b>Exponential Growth and Decay</b>		
Periodic	$N_t = N_0(1+r)^t$	$N_t = \text{value at time } t \text{ or after } t \text{ time period}$ $r = \text{rate of growth}$ $t = \text{time or number of time periods}$ $e = 2.718$
Continuous	$N_t = N_0 e^{rt}$	
<b>Polar Coordinates and Vectors</b>		
De Moivre's Theorem	$[r(\cos \theta + i \sin \theta)]^n = r^n(\cos n\theta + i \sin n\theta)$	$r = \text{radius, distance from the origin}$ $\theta = \text{angle measure in standard position}$ $n = \text{exponent}$
Conversion: Polar to rectangular coordinates	$x = r \cos \theta$ $y = r \sin \theta$	
Conversion: rectangular to Polar coordinates	$r = \sqrt{x^2 + y^2}$ , $\theta = \arctan \frac{y}{x}$ when $x > 0$ $\theta = \pi + \arctan \frac{y}{x}$ when $x < 0$	
Product of Complex Numbers in Polar Form	$[r_1(\cos \theta_1 + i \sin \theta_1)][r_2(\cos \theta_2 + i \sin \theta_2)] = r_1 r_2 [\cos(\theta_1 + \theta_2) + i \sin(\theta_1 + \theta_2)]$	
Inner Product of Vectors in Plane	$\mathbf{a} + \mathbf{b} = a_1 b_1 + a_2 b_2$	$\mathbf{a} = \langle a_1, a_2 \rangle$ vector in the plane
Inner Product of Vectors in Space	$\mathbf{a} + \mathbf{b} = a_1 b_1 + a_2 b_2 + a_3 b_3$	$\mathbf{a} = \langle a_1, a_2, a_3 \rangle$ vector in space
<b>Matrices</b>		
Determinant of a 2 × 2 Matrix	$\det \begin{bmatrix} a & b \\ c & d \end{bmatrix} = ad - bc$	
Determinant of a 3 × 3 Matrix	$\det \begin{bmatrix} a & b & c \\ d & e & f \\ g & h & j \end{bmatrix} = a \cdot \det \begin{bmatrix} e & f \\ h & j \end{bmatrix} - b \cdot \det \begin{bmatrix} d & f \\ g & j \end{bmatrix} - c \cdot \det \begin{bmatrix} d & e \\ g & h \end{bmatrix}$	
Inverse of a 2 × 2 Matrix	$M^{-1} = \frac{1}{\det M} \begin{bmatrix} d & -b \\ -c & a \end{bmatrix}$	Where $M = \begin{bmatrix} a & b \\ c & d \end{bmatrix}$

<b>Trigonometry</b>		
Sum and difference identities		
$\sin(\alpha \pm \beta) = \sin \alpha \cos \beta \pm \cos \alpha \sin \beta$ $\cos(\alpha \pm \beta) = \cos \alpha \cos \beta \mp \sin \alpha \sin \beta$ $\tan(\alpha \pm \beta) = \frac{\tan \alpha \pm \tan \beta}{1 \mp \tan \alpha \tan \beta}$	$\beta = \text{angle measure in standard position}$	
Double-Angle Identities		
$\sin 2\theta = 2 \sin \theta \cos \theta$ $\cos 2\theta = \cos^2 \theta - \sin^2 \theta$ $\tan 2\theta = \frac{2 \tan \theta}{1 - \tan^2 \theta}$	$\theta = \text{angle measure in standard position}$	
Half-Angle Identities		
$\sin \frac{\alpha}{2} = \pm \sqrt{\frac{1 - \cos \alpha}{2}}$ $\cos \frac{\alpha}{2} = \pm \sqrt{\frac{1 + \cos \alpha}{2}}$ $\tan \frac{\alpha}{2} = \pm \sqrt{\frac{1 - \cos \alpha}{1 + \cos \alpha}} \text{ where } \cos \alpha \neq -1$	$\alpha = \text{angle measure in standard position}$	
<b>Miscellaneous</b>		
Distance, Rate, Time	$D = rt$	$D = \text{distance}$ $r = \text{rate}$ $t = \text{time}$
Direct Variation (y varies directly with x)	$y = kx$	$k = \text{variation constant}$
Inverse Variation (y varies indirectly with x)	$y = \frac{k}{x}$	

## Key to Symbols

$\triangle ABC$	.....	Triangle ABC
$\angle ABC$	.....	Angle ABC
$m\angle ABC$	.....	measure of Angle ABC
$\overleftrightarrow{AB}$	.....	Line AB
$\overline{AB}$	.....	Line segment AB
$AB$	.....	length of line segment AB
Circle $O$	.....	Circle with centre $O$
$\widehat{AB}$	.....	Arc AB
$\perp$	.....	is perpendicular to
$\parallel$	.....	is parallel to
$\cong$	.....	is congruent to
$\sim$	.....	is similar to
$\approx$	.....	is approximately equal